A Novel Method for Enhanced Needle Localization Using Ultrasound-Guidance *

Bin Dong¹, Eric Savitsky², and Stanley Osher³

- Department of Mathematics, University of California, San Diego, 9500 Gilman Drive, La Jolla, CA, 92093-0112
- Department of Emergency Medicine, University of California Los Angeles, BOX 951777, 924 Westwood Blvd, Ste 300, Los Angeles, CA 90095-1777
- ³ Department of Mathematics, University of California, Los Angeles, CA, 90095-1555

Abstract. In this paper, we propose a novel and fast method to localize and track needles during image-guided interventions. Our proposed method is comprised of framework of needle detection and tracking in highly noisy ultrasound images via level set and PDE (partial differential equation) based methods. Major advantages of the method are: (1) efficiency, the entire numerical procedure can be finished in real-time: (2) robustness, insensitive to noise in the ultrasound images and: (3) flexibility, the motion of the needle can be arbitrary. Our method will enhance the ability of medical care-providers to track and localize needles in relation to objects of interest during image-guided interventions.

1 Medical Background

Image guided interventions have become the standard of care for many surgical procedures. Optimal visualization of the object of interest and biopsy needle in ultrasound images requires the use of specialized biopsy needles and high cost, cart-based ultrasound units. The success of image guided interventions is dependent on anatomic knowledge, visualization, and precise tracking and control of the biopsy needle. A majority of medical care-providers utilize low resolution ultrasound units. In addition, many office-based or emergency department procedures are performed using generic (non-specialized) needles. Unfortunately, the quality of the imagery obtained by most ultrasound units does not allow for clear and concise visualization of a regular needle during many needle-based procedures. The inability to clearly see the tip of a needle in relation to the object of interest (e.g., a vein, artery, or mass) makes such image guided interventions less accurate.

In view of the inadequacy of ultrasound technology identifying inserted needles with desired resolution, a new and improved system for tracking such needles needs to be developed. A more accurate method for localizing the distal tip of

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inserted needles will greatly improve the efficacy and safety of ultrasound image-guided interventions. In this paper, we shall employ modern level set and PDE methods and fast numerical algorithms to solve the needle tracking problem for ultrasound images.

The rest of the paper is organized as follows. In Section 2, we shall lay down the fundamental mathematical model which is the core of solving our problem. In Section 3 we shall describe the complete schematic procedure of needle localization. Numerical experiments on ultrasound image frames will be given in Section 4 and concluding remarks will be given in Section 5.

2 Mathematical Model

We denote the video frames of ultrasound images as I(x,t) with $0 \le I(x,t) \le 1$, and define the integrated difference of frames as

$$f(x,t) := \int_{t-\delta}^{t} \left| G_{\sigma}(x) * \partial_{\tau} I(x,\tau) \right| d\tau, \quad \delta > 0, \tag{1}$$

where G_{σ} is Gaussian with standard deviation σ . We note that the parameter σ is not essential for our method, we will fix it throughout our experiments.

If the motions of the needle, e.g. jiggling or insertion, are different from the motions of the tissues and organs, which is usually the case, then in f(x,t) we can see regions with such motions highlighted. However these regions in f(x,t) are usually not very clear and have noisy boundaries. Therefore, a robust and efficient segmentation on f(x,t) for each t is needed. Since we will focus on the segmentation of f(x,t) for each fixed t, we now omit the variable τ and denote f(x,t) as f(x) for simplicity.

There are numerous image segmentation methods in the literature [1–7]. In this paper, we shall consider the following energy introduced in [1]

$$E(u) = \int g(x)|\nabla u(x)|dx + \lambda \int |u(x) - f(x)|dx.$$
 (2)

Here g(x) is some edge indicator function defined as $g(x) = \frac{1}{1+\beta|\nabla(G_{\tilde{\sigma}}*f)|}$ (see e.g. [1,3]). It is shown in [1] that for any minimizer u of (2) and for almost all threshold $\mu \in [0,1]$, the characteristic function

$$\mathbf{1}_{\Omega(\mu)=\{x:u(x)>\mu\}}(x)$$

is a global minimizer of the corresponding geometric active contour model (see [1] for more details). Therefore, a segmentation of f(x) can be obtained by first computing a minimizer of (2) and then letting $\Omega := \{x : u(x) > 0.5\}$. Now the key issue here is to minimize (2) efficiently.

To minimize the energy (2) efficiently, we adopt the idea of the split Bregman method introduced in [8]. Define

$$|d|_* := g(x)\sqrt{d_1^2 + d_2^2} + \lambda |d_3|$$
 and $Fu := (\nabla u^T, u - f)^T$,

then minimizing energy (2) is equivalent to

Minimize
$$\int |d|_*$$

s.t. $d = Fu$. (3)

After "Bregmanizing" the constrained optimization problem (3), we obtain the following algorithm which minimizes the original energy (2) rather efficiently (the derivation is similar to that in [8]),

$$(u^{k+1}, d^{k+1}) = \operatorname{argmin}_{u,d} \int |d|_* + \frac{\mu}{2} ||d - Fu - b^k||_2^2$$

$$b^{k+1} = b^k + (Fu^{k+1} - d^{k+1}).$$
(4)

For convenience, we denote $\bar{d} = (d_1, d_2)^T$ and hence $d = (\bar{d}, d_3)^T$. Similarly, we can define \bar{b} and b. Then we introduce the following algorithm to solve (4):

Algorithm 1 We start with $d^0 = \mathbf{0}$ and $b^0 = \mathbf{0}$.

1. First update u by solving

$$(-\Delta + I)u^{k+1} = \nabla \cdot (\bar{b}^k - \bar{d}^k) + d_3^k + f - b_3^k;$$

2. Then update d by

$$\begin{split} d_1^{k+1} &= \max(s^k - \frac{g(x)}{\mu}, 0) \cdot \frac{u_x^k + b_1^k}{s^k}, \\ d_2^{k+1} &= \max(s^k - \frac{g(x)}{\mu}, 0) \cdot \frac{u_y^k + b_2^k}{s^k}, \\ d_3^{k+1} &= shrink(u^k - f + b_3^k, \frac{\lambda}{\mu}), \end{split}$$

where $s^k = |\nabla u^k + \bar{b}^k|$.

3. Finally update b^{k+1} by

$$b^{k+1} = b^k + (F(u^{k+1}) - d^{k+1});$$

4. If
$$\frac{\|u^{k+1}-u^k\|}{\|u^k\|} > tol$$
, go back to step 1 and repeat.

The Algorithm 1 is very efficient in terms of total number of iterations and the cost for each iteration. According to our experiments, it usually only takes about 30 iterations until $\frac{\|u^{k+1}-u^k\|}{\|u^k\|} \approx 10^{-3}$. For each iteration in Algorithm 1, the major calculation is in step 1, where the PDE can be solved rather efficiently by either FFT, for periodic boundary condition, or multigrid method, for Neumann and Dirichlet boundary conditions. An example is given in the following Figure 1 where noise was added to the original image. We note that the image is provided by Laboratory of Neural Imaging, Center for Computational Biology, UCLA.

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For the special image f(x) obtained from frames of ultrasound images by (1), the object of interest in f(x) is either a needle or the tip of the needle, which are both simple geometric objects. Therefore, we can stop our iteration at an even earlier stage (e.g. in our experiments, we only perform two iterations) and the segmentation results would not change much if more iterations were carried out. The efficiency of Algorithm 1 ensures that the entire needle localization procedure can be finished in real-time. To be precise, by "real-time" we mean that the total time spent by the entire numerical procedure is no greater than that spent by the ultrasound machine in acquiring each image frame. A detailed description of the needle localization procedure will be given in next section.

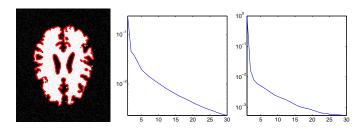


Fig. 1. The left figure shows segmentation result using Algorithm 1; the middle one is the decay of $\frac{\|d-Fu^k\|}{\|d\|}$; and the right one is the decay of $\frac{\|u^{k+1}-u^k\|}{\|u^k\|}$.

3 Schematic Descriptions of Needle Detection and Tracking Procedure

The entire needle localization procedure can be decomposed into two phases. The first phase is to locate the needle in the images at the very beginning, based on a few seconds' image frames. During this phase, one can jiggle the needle or gently poke the tissues to help our algorithm locate the needle fast and accurately. The second phase is to track the motion of the tip of the needle when it moves.

3.1 Phase I

To locate the needle when it is first inserted into the tissue, we perform the following operations:

- 1. Obtain f(x) using (1) based on the previous 1-2 seconds' frames, denoted as I(x,t);
- 2. Segment the region that indicates needle movements using (4) via the Algorithm 1 (with 2 iterations);
- 3. Regularize the region obtained by step 2 via the fast algorithm of areapreserving mean curvature motion in [9];

4. Obtain the skeleton of the regularized region to represent the needle, and then the tip of the needle can be located from the skeleton.

To help localize the needle based on f(x), one could gently jiggle the needle, in order to differentiate its motion from that of the tissues or organs. The following Figure 2 illustrates the four steps described above. We first note that it is obviously crucial to consider f(x) instead of any single frame in order to rule out other regions with comparable intensities as the needle (e.g. some tissues or organs). The left two figures in Figure 3 show that if we perform segmentation directly on a single frame, we will capture several regions besides the needle. We also note that the third step above is important because otherwise, we may not get a single line representing the needle, but several branches (see the right figure in Figure 3). In step 4, there is always an ambiguity of the tip (it could be the alternative end of the line). However the ambiguity can be easily removed whenever the needle starts moving. Therefore, here and in the experiments below, we assume the tip is picked up correctly.

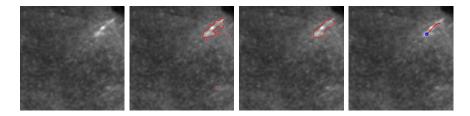


Fig. 2. The four figures from left to right describes the four steps, and the four images are the same one f(x) obtained by (1).

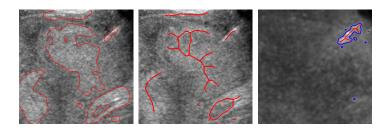


Fig. 3. Left figure shows direct segmentation of one single frame; middle one shows the skeletons extracted from the segmented regions; right one shows the importance of step 3 in Phase I, where the blue curve is represented by the solution u obtained form step 2, and the red one is the skeleton by step 4.

3.2 Phase II

The second phase is to track the movements of the tip of the needle starting from the location we obtained from Phase I. We perform the following operations:

- 1. Obtain f(x) using (1) based on the current and the previous 1-2 frames;
- 2. Segment the region indicating needle movements using (4) via the Algorithm 1 (with 2 iterations);
- 3. Regularize the region obtained by step 2 via the fast algorithm of areapreserving mean curvature motion in [9];
- 4. Shrink the (possibly disconnected) region to points, and then choose one point from them that is closest to the previously tracked location.

The following Figure 4 illustrates the four steps described above. We note that when the noise level is high or some irregular motions exist in tissues or organs, multiple locations may be captured in step 3, most of which are false detections. Therefore, step 4 affects the smoothness of the overall tracking. Evidently, there are more sophisticated ways to regularize the trajectory of the tracking. For example, if we know a priori that the needle moves in a smooth fashion, then we can estimate the current location of the tip based on the approximated locations in previous frames such that the overall motion curve is smooth. For our experiments in Section 4, we only use the simple operation described in step 4 because the needle moves in an irregular fashion. However, the result of the overall tracking is still quite satisfactory. We also note that in step 1, instead of considering the entire image f(x), we can just consider a patch of f(x) that centered at the previously located point (location of the tip in the previous frame). In this way, we can save some computations and also increase the smoothness of the overall tracking. Again, this only works when the motion of the needle is not too fast (which is usually the case in practice). In our experiments in Section 4, we will still use the entire image f(x).

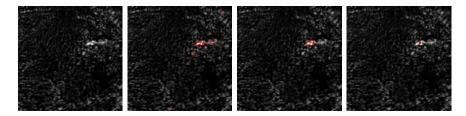


Fig. 4. The four figures from left to right describes the four steps.

4 Numerical Result

All of the frames of ultrasound images are obtained by a Sonosite (Titan) ultrasound machine. The ultrasound machine captures 20 frames per second. In

our following experiments, 120 frames are used, including 20 frames in Phase I and 100 frames in Phase II. Each image is of size 251×251 . In Figure 5 we present 5 of the 20 frames in Phase I, and in Figure 7 we present 12 of the 100 frames in Phase II.

The numerical results for Phase I are given in Figure 6, and those for Phase II are given in Figure 8. We note that the PDE in (1) of Algorithm 1 is solved by FFT. Here we also provide a ground truth in Figure 9 as validation of our results, where we manually selected the positions of the needle based on neighboring frames. We note that for almost all of the frames during Phase II, the tracking is rather accurate. However for some of the frames, the localization is not very accurate, for example the fourth figure in the first row of Figure 8. The reason is because of acoustic shadows in some image frames, which appear in f(x) with high intensities and conceal the movement of the tip of the needle (see the middle figure of Figure 10). However, an acoustic shadow only seems to appear in f(x) occasionally when we extract the needle, instead of inserting the needle, and an accurate tracking of the needle is only required during insertion. Therefore in practice, this error is not an issue and will not affect the safety concerns during image guided surgical operations.

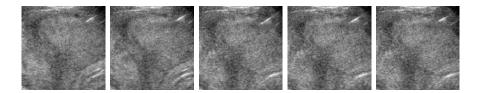


Fig. 5. Images from left to right are 5 sample frames among total 20 frames of ultrasound images during Phase I.

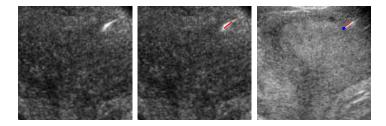
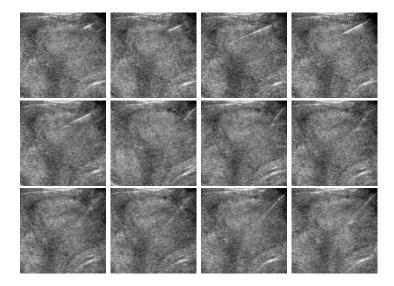


Fig. 6. Left figure is f(x) obtained from the 20 frames; middle one shows the result of localization of the body of the needle; right one shows the result of localization on the first image frame in Figure 5, where the blue dot indicates the tip of the needle.



 ${f Fig. 7.}$ Images above are 12 sample frames among total 100 frames of ultrasound images during Phase II.

5 Conclusion

Image guided interventions have become the standard of care for many surgical procedures. One of the most important problems in image guided interventions for ultrasound images is the precise tracking and control of biopsy needles. In this paper, we introduced a novel and efficient method for needle localization in highly noisy ultrasound images. Our numerical experiments showed that our proposed method tracks the tip of needle efficiently with satisfactory accuracy.

There are also improvements of the current method that can be done. Firstly, the regularity of the tracking results can be improved. For the current version of the method, we are only segmenting f(x,t) for each t independently, while ideally speaking the segmentation should depend on both x and t so that the approximated needle locations will lie on a smooth path. However, taking t into account during segmentation will increase computational complexity. Therefore, a very efficient algorithm is required.

Another possible improvement is to detect and remove some of the known artifacts, e.g. acoustic shadow, in the images before performing segmentation. This will improve the accuracy of tracking and also helps to improve regularity. Again, the challenge is that the process of artifact removal needs to be done rather efficiently.

Acknowledgements

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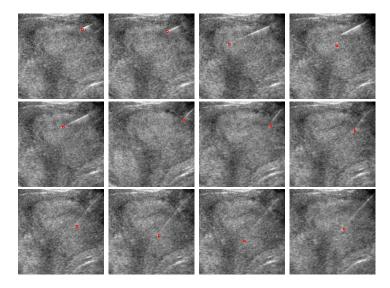
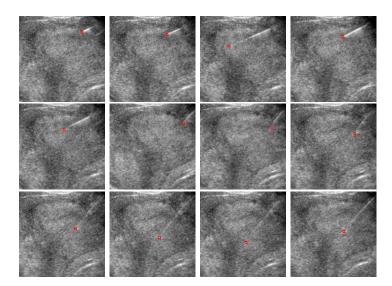


Fig. 8. Tracking results of the 12 sample frames in Phase II shown in Figure 7.

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 ${\bf Fig.\,9.}$ Manual segmentation results of the 12 sample frames in Phase II shown in Figure 7.

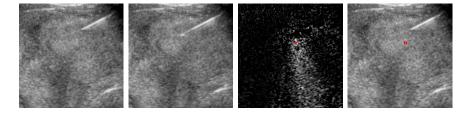


Fig. 10. First figure is the current frame as shown in the fourth figure in first row of Figure 7; second figure is the previous frame of the first figure; third figure shows the corresponding f(x) obtained from the first two figures and the red dot is the tracking result; the last one shows the tracking result on the current frame which is the same figure as in the upper fight figure of Figure 8.